#### Solutions from last class

Check your answers while MacKenzie checks HW

4.1 Factor using the area model. State your answer.

$$1. x^{2} + 8x + 7$$

$$\frac{\chi}{\chi^{2}} + \frac{\chi}{\chi^{2}} = 8\chi$$

$$+1 + \chi + \frac{1}{\chi}$$

$$= \frac{(\chi + \frac{1}{\chi})(\chi + 1)}{(\chi + 1)}$$

2. 
$$x^2 + 11x + 18$$

$$\frac{1}{12} + \frac{1}{12} = \frac{1}{12}$$

$$= \frac{(\chi + \eta)(\chi + 2)}{(\chi + 2)}$$

3. 
$$x^{\frac{3}{4}} - 7x + 12$$

$$\frac{\sqrt{\chi^2 - 3\chi}}{\sqrt{4\chi + 12}} = -7\chi$$

$$= (\chi - 3)(\chi - 4)$$

4. 
$$x^2 + 14x + 45$$

$$\frac{1}{100}$$
  $\frac{1}{100}$   $\frac{1}$ 

$$= (\chi + 9)(\chi + 5)$$

5. 
$$x^2 - 2x - 15$$

$$\frac{1}{15}$$
  $\frac{1}{15}$   $\frac{1}{15}$   $\frac{1}{15}$   $\frac{1}{15}$ 

$$= (\chi-5)(\chi+3)$$

6. 
$$x^2 - 8x + 16$$

$$\frac{\lambda}{\lambda} = -8\lambda$$

$$-4 = -8\lambda$$

$$= \left( \frac{1}{1} - \frac{4}{1} \right) \left( \frac{1}{1} - \frac{4}{1} - \frac{4}{1} \right) \left( \frac{1}{1} - \frac{4}{1} - \frac{4}{1} \right) \left( \frac{1}{1} - \frac{4}{1} - \frac{4}{1} \right) \left( \frac{1}{1} - \frac{4}{1}$$

7. 
$$x^2 + 4x - 21$$

$$\frac{1}{100} \frac{1}{100} \frac{1}{100} = 4x$$

$$= (\chi + 7)(\chi - 3)$$

8. 
$$x^2 - 3x - 18$$

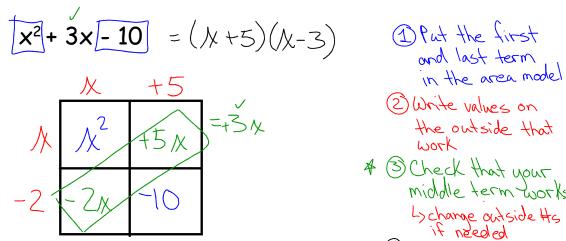
$$\frac{X - 6}{18}$$
 = -3x

$$= (\chi - \xi)(\chi + 3)$$

# Factoring Trinomials

Last class we learned to factor using an area model.

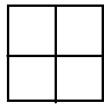
$$x^2 + 3x - 10 = (x + 5)(x - 3)$$



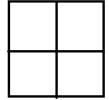
- # 3 Check that your middle term works Lychange outside Hs if needed
  - 1) Write the factored

Let's factor the following together as a warmup:

$$x^2 + 8x - 9$$



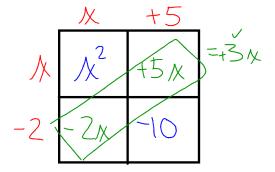
$$x^2 - 13x + 22$$



# Factoring Trinomials

Last class we learned to factor using an area model.

$$x^2 + 3x - 10 = (x + 5)(x - 3)$$



1) Put the first and last term in the area model

2) Write values on the outside that work

\* 3 Check that your middle term works Lychange outside Hs if needed

Durite the factored form

Let's factor the following together as a warmup:

$$\boxed{x^2 + 8x - 9} = (\chi + 9)(\chi - 1)$$

$$\begin{pmatrix} x + 9 \\ x^2 + 9 \\ -1 \end{pmatrix} = +8x$$

$$x^2 - 13x + 22 = (\chi - 1)(\chi - 2)$$

$$\begin{array}{c|c} & & & \\ & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & & & \\$$

$$\frac{5-13}{(\chi-2)(\chi-11)}$$

## On a piece of paper, with your neighbour

## Factor using an area model:

$$x^2 + 8x + 12$$

$$x^2 + 5x - 36$$

$$x^2 - 5x - 14$$

$$x^2 - 10x + 16$$

## **Solutions**

Factor using an area model:

$$x^2 + 8x + 12 = (x+6)(x+2)$$

$$x^2 + 5x - 36 = (x+9)(x-4)$$

$$x^2 - 5x - 14 = (x-7)(x+2)$$

$$x^2 - 10x + 16 = (x-2)(x-8)$$

#### Recall form last unit

What does each form tell you about the parabola?

#### **Factored Form**

$$y = -2(x-3)(x+4)$$

pull down to reveal

Zeros: 3 and-4

#### **Vertex Form**

$$y = 3(x-4)^2 + 6$$
 vertex: (+4, +6)

#### Standard Form

y=4x2+7x=10 y-intercept = -10

What do we know about this quadratic?

$$y = x^2 - 6x - 16$$

What would be the benefit of factoring this equation?

What do we know about this quadratic?

$$y = x^2 - 6x - 16$$

$$y = x^2 - 6x \underbrace{-16}$$
 y-intercept = -16

What would be the benefit of factoring this equation?

We will also be able to identify the zeroes

## Factoring to Find Zeros

handout

We know the y-intercept from an equation in standard form.

$$y = x^2 - 6x - 16$$

 $y = x^2 - 6x - 16$  the y-intercept is \_\_\_\_\_

If we rearrange the equation to factored form we can find the zeros.

To do this we need to factor using our area model.

$$y = x^2 - 6x - 16$$



the zeros are \_\_\_\_ and \_\_\_\_

\* remember the zeros change signs when we pull them out of the brackets

Factor the following. Then state the y-intercept and zeros.

$$y = x^2 + 10x + 21$$

the y-intercept is \_\_\_\_\_

the zeros are \_\_\_\_ and \_\_\_\_.



Try the next one with your partner

$$y = x^2 - 11x + 24$$

the y-intercept is \_\_\_\_\_

the zeros are \_\_\_\_ and \_\_\_\_.



## Factoring to Find Zeros

We know the y-intercept from an equation in standard form.

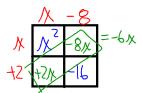
$$y = x^2 - 6x - 16$$

 $y = x^2 - 6x - 16$  the y-intercept is \_\_\_\_\_

If we rearrange the equation to factored form we can find the zeros.

To do this we need to factor using our area model.

$$y = x^2 - 6x - 16$$
  
 $y = (k-8)(k+2)$ 



the zeros are  $\frac{+8}{}$  and  $\frac{-2}{}$ 

\* remember the zeros change signs when we pull them out of the brackets

Factor the following. Then state the y-intercept and zeros.

$$y = x^2 + 10x + 21$$

$$(x + 7)(x + 3)$$

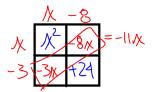
the y-intercept is +2

the zeros are  $\frac{-7}{}$  and  $\frac{-3}{}$ .

$$\frac{1}{12}$$
  $\frac{1}{12}$   $\frac{1}{12}$ 

$$y = x^2 - 11x + 24$$

$$y=(x-8)(x-3)$$



the y-intercept is  $\pm 24$ 

the zeros are  $\frac{+8}{}$  and  $\frac{+3}{}$ .

## Individual Practice - Back of the sheet (finish in class or for homework)

1. For each relation,	, find the	y-intercept	, then	factor to	find x-int	ercepts

a) Standard Form:  

$$y = x^2 + 7x + 10$$

$$y = x^2 + 7x + 10$$

Y-int	=	

Factor:

$$y = x^2 + 4x - 21$$

Y-int = \_\_\_\_\_

Factor:

$$y = x^2 - 8x + 12$$
  
Y-int = \_\_\_\_\_

b) Standard form:

Factor:



Factored form:



Factored form:

x-int's: \_\_\_\_\_

x-int's: \_\_\_\_\_

x-int's: \_\_\_\_\_

2. For each relation, factor to find the x-intercepts (zeroes).

a) 
$$y = x^2 + 6x + 5$$

Factored form:

a) 
$$y = x^2 + 6x + 5$$
 c)  $y = x^2 - 12x + 20$ 

e) 
$$y = x^2 - 4x - 21$$







zeroes: \_\_\_\_\_

zeroes: \_\_\_\_\_

zeroes: \_\_\_\_\_

b) 
$$y = x^2 - 5x - 36$$

d) 
$$y = x^2 - 9x + 20$$

f) 
$$y = x^2 - 6x - 27$$





zeroes: \_\_\_\_\_

zeroes: \_\_\_\_\_

zeroes: \_\_\_\_\_

### Individual practice

#### handout

b) Standard form:

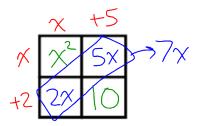
 $y = x^2 - 8x + 12$ 

1. For each relation, find the y-intercept, then factor to find x-intercepts

a) Standard Form:

$$y = x^2 + 7x + 10$$

Factor:



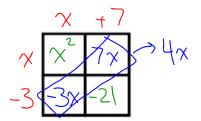
Standard form:

$$y = x^2 + 4x(-21)$$

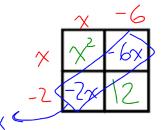
Y-int = 
$$\frac{-2}{}$$

Y-int = 2

Factor:



Factor:



Factored form:

$$\underline{y = (\chi + 5)(\chi + 2)}$$

x-int's: -5and -2

Factored form:

$$y = (x+7)(x-3)$$

Factored form:

$$\frac{\sqrt{-6}(x-6)(x-5)}{\sqrt{1-5}}$$

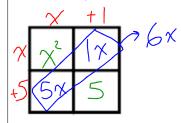
x-int's: +6 and +2



handout

2. For each relation, factor to find the x-intercepts (zeroes).

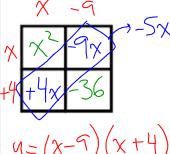
a) 
$$y = x^2 + 6x + 5$$



$$(\chi+1)(\chi+5)$$

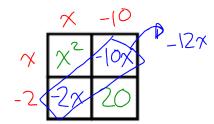
zeroes: - | and -5

b) 
$$y = x^2 - 5x - 36$$



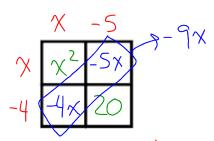
zeroes: 9 and -4

c) 
$$y = x^2 - 12x + 20$$



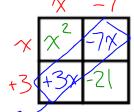
y = (x-10)(x-2)zeroes: 10 and 2

d) 
$$y = x^2 - 9x + 20$$



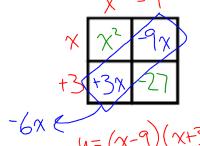
 $y=(\chi-5)(\chi-4)$ zeroes: 5 and 4

e) 
$$y = x^2 - 4x - 21$$



y = (x-7)(x+3)zeroes:  $\frac{7}{3}$  and  $\frac{3}{3}$ 

f) 
$$y = x^2 - 6x - 27$$



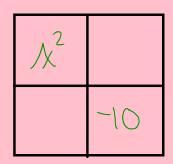
zeroes: 9 and -3

Let's start our Pink Sheets for unit 4
MacKenzie to handout duotangs

# Unit 4 - Quadratics and Factoring

# Factoring:

$$x^2 + 3x - 10$$



1) Put the first and last term in the window 2) Write values on

2) Write values on the outside that work

\* 3 Check that your middle term works Lychange outside Hs if needed

DWitethe factored form

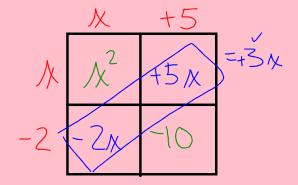
Add your own factoring question with

- a negative middle term and positive third term

# Unit 4 - Quadratics and Factoring

# Factoring:

$$[x^2] + 3x[-10] = (x + 5)(x - 3)$$
 Deat the first and last term in the window



2) Write values on the outside that

\* 3 Check that your middle term works

1) Write the factored

Add your own factoring question with

- a negative middle term and positive third term

Hand back Evidence Records (and leftover tests if you were absent Monday)